## Techniques for solving $2^{\text {nd }}$ or higher order linear ODEs

| Technique | Used to find solutions of homogeneous or non-homogeneous DEs (or both)? <br> (If non-homogeneous, any constraints on forcing term ?) | Used to find solutions of constant or variable coefficients DEs (or both)? (If variable coefficients, any constraints on coefficients?) | What information must you know before using the method? |
| :---: | :---: | :---: | :---: |
| Superposition $4.1$ | non-homogeneous <br> forcing term must be linear combination of forcing terms with known solutions for DE | both constant \& variable coefficients | solutions for homogeneous DE and non-homogeneous DE with simpler forcing terms |
| Reduction of Order 4.2 |  |  |  |
| Characteristic <br> Polynomial <br> 4.3 | homogeneous | constant coefficients | N/A |
| Undetermined Coefficients 4.4 |  |  |  |
| Variation of Parameters 4.6 |  |  |  |
| Indicial <br> Equation <br> 4.7 |  |  |  |

